

# Mechanical Springs

## Shigley Chapter §10

*Machine Design B344*  
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Danie Els  
Dept of Mech & Mechatronic Eng,  
Stellenbosch University



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## Springs

Blocks  
Colours  
Lists  
Math

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# Blocks



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### General block

A general block ...

### Alert block

An alert block ...







### Example block

An example ...

### Theorem (Theorem block)

*A theorem ...*

# STB Colours

	Color name	RGB
	stbMaroon	( 97, 34, 59)
	stbGold	( 183, 153, 98)
	stbGreen	(130, 204, 174)
	stbOrange	(220, 68, 5)
	stbWine	( 166, 10, 61)
	stbSoil	(100, 51, 53)



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### Itemize

- First item
- Second item
- ...

### Enumerate

- ① First item
- ② Second item
- ③ ...

### Description

First item ...  
Second item ...

... ...

### Residue Theorem

Let  $f$  be analytic in the region  $G$  except for the isolated singularities  $a_1, a_2, \dots, a_m$ . If  $\gamma$  is a closed rectifiable curve in  $G$  which does not pass through any of the points  $a_k$  and if  $\gamma \approx 0$  in  $G$  then

$$\frac{1}{2\pi i} \int_{\gamma} f = \sum_{k=1}^m n(\gamma; a_k) \text{Res}(f; a_k).$$

Another nice theorem from complex analysis is

### Maximum Modulus

Let  $G$  be a bounded open set in  $\mathbb{C}$  and suppose that  $f$  is a continuous function on  $G^-$  which is analytic in  $G$ . Then

$$\max\{|f(z)| : z \in G^-\} = \max\{|f(z)| : z \in \partial G\}.$$

# Thank you

